## CBSE Class 10 Maths Notes Chapter 9 Some Applications of Trigonometry

## Line of Sight

When an observer looks from a point $E$ (eye) at an object $O$ then the straight line EO between the eye $E$ and the object $O$ is called the line of sight.


## Horizontal

When an observer looks from a point $E$ (eye) to another point $Q$ which is horizontal to $E$, then the straight line, EQ between E and Q is called the horizontal line.


## Angle of Elevation

When the eye is below the object, then the observer has to look up from the point $E$ to the object $O$. The measure of this rotation (angle $\theta$ ) from the horizontal line is called the angle of elevation.


## Angle of Depression

When the eye is above the object, then the observer has to look down from the point $E$ to the object. The horizontal line is now parallel to the ground. The measure of this rotation (angle $\theta$ ) from the horizontal line is called the angle of depression.


How to convert the above figure into the right triangle.
Case I: Angle of Elevation is known
Draw OX perpendicular to EQ.
Now $\angle O X E=90^{\circ}$
$\triangle O X E$ is a rt. $\triangle$, where
OE = hypotenuse
OX = opposite side (Perpendicular)
EX = adjacent side (Base)


Case II: Angle of Depression is known
(i) Draw OQ'parallel to EQ
(ii) Draw perpendicular EX on OQ’.
(iii) Now $\angle \mathrm{QEO}=\angle \mathrm{EOX}=$ Interior alternate angles
$\triangle E X O$ is an rt. $\triangle$. where

EO = hypotenuse
OX = adjacent side (base)
EX = opposite side (Perpendicular)


- Choose a trigonometric ratio in such a way that it considers the known side and the side that you wish to calculate.
- The eye is always considered at ground level unless the problem specifically gives the height of the observer.

The object is always considered as a point.

## Some People Have

$\operatorname{Sin} \theta=\frac{\text { Perpendicular }}{\text { Hypotenuse }}$
Curly Black Hair
$\operatorname{Cos} \theta=\frac{\text { Base }}{\text { Hypotenuse }}$
Turning Permanent Black.
$\operatorname{Tan} \theta=\frac{\text { Perpendicular }}{\text { Base }}$

